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ANALYSIS OF METHODS OF GROUNDING OPERATIONAL-TACTICAL REQUIREMENTS FOR PERSPECTIVE SYSTEMS (COMPLEXES, MODELS) ARMAMENT AND MILITARY MATERIEL

A.N. Kuprinenko

Analysis of existing methods of combat actions modeling for long-range perspective has been conducted. Possibilities of their employment for further solution of the problem of forming operational-tactical requirements for perspective systems (complexes, models) armament and military materiel have been established.

Keywords: *methods of combat actions modeling, operational-tactical requirements, armament and military materiel.*

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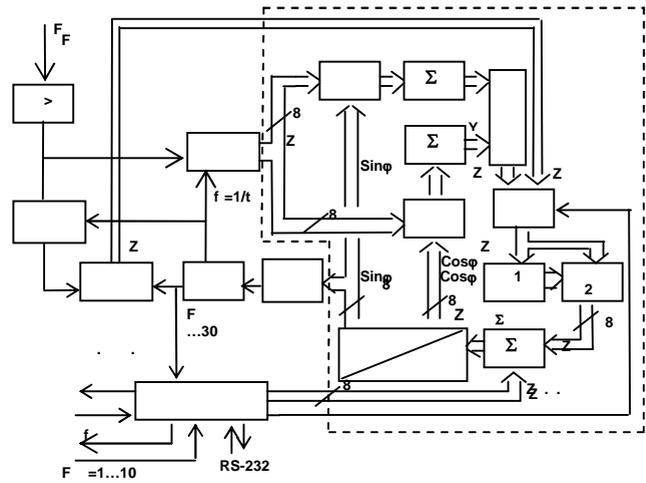
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Z-

[7]

$$\begin{aligned} \varphi_{[R]} + (K_{b1}/2 + K_{b2}/2 - 2) \cdot \varphi_{[R-1]} + (K_{b2}/2 + 1) \times \\ \times \varphi_{[R-2]} - K_{b1}/2 \cdot \varphi_{[R-3]} = \varphi_{C[R]} - 2\varphi_{C[R-1]} + \quad (1) \\ + \varphi_{C[R-2]} - (K_{b1} + K_{b2})\varphi_{[R-1]} + K_{b1}\varphi_{[R-2]}, \end{aligned}$$

$$K_{b1} = 2k_g K_1 \pi \Delta F T_H, \quad K_{b2} = 2k_g K_2 \pi \Delta F T_H \tag{7}$$

$$P(z) = z^3 + (K_{b1}/2 + K_{b2}/2 - 2) \cdot z^2 + (K_{b2}/2 + 1) \cdot z - K_{b1}/2$$

, φ_C -
 , k_g -
 , K_1, K_2 -
 ΔF -
 , T -

$$\begin{cases} K_{b1} > 0, \\ K_{b2} > 0, \\ K_{b2} + 2K_{b1} - 4 < 0, \\ 2K_{b1}K_{b2} + 4K_{b2} - 8K_{b1} + 4K_{b1}^2 < 0. \end{cases} \tag{8}$$

R -

$f(t)$

C

$$= t = \frac{1}{f} \tag{2}$$

$$K_g(z) = (z^3 - 2z^2 + z) / [z^3 + (K_{b1}/2 + K_{b2}/2 - 2) \times z^2 + (K_{b2}/2 + 1) \cdot z - K_{b1}/2]; \tag{3}$$

$$K(z) = [-(K_{b1} + K_{b2})z^2 + K_{b1} \cdot z] / [z^3 + (K_{b1}/2 + K_{b2}/2 - 2) \cdot z^2 + (K_{b2}/2 + 1) \times z - K_{b1}/2], \tag{4}$$

Z - , K , K_g -

$M\varphi$

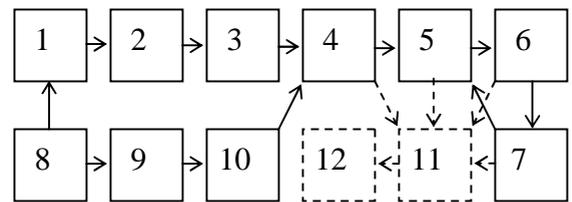
$$\Omega_C(t) = \alpha t, \quad \varphi_C(t) = \alpha t^2 / 2 \tag{5}$$

$$M\varphi = \alpha T^2 / K_{b2}, \tag{6}$$

α -

$$\sigma_\varphi^2 = N^* [K_{b1}^2 (K_{b1} + 2) + K_{b2} (K_{b1}^2 + K_{b1} K_{b2} / 4 + K_{b1} + K_{b2} / 2 + 2)] / [2K_{b1} (2 - K_{b1}) - K_{b2} (2 + K_{b1})] T \tag{7}$$

[7].



1 - , 2 -
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8 / 10

[7] ().

10 4

3 T

« » 5, 7. 5

T -

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$Z_{\varphi} \Sigma$

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METHODS OF OPTIMIZATION OF THE DIGITAL INSTRUMENT PARAMETERS OF THE ARTILLERY SYSTEMS DOPPLER RADARS

Y. I. Budaretskyi, V.I. Hrabchak, V.A. Kaninskyi, V.V. Prokopenko

The article presents the analytical methods and the method of the imitation modeling of the parameters of the Doppler radar of the artillery system optimization. The structural scheme of the digital system of the phase synchronizing is viewed; differential equations and transmission functions are presented and the terms of their stability are defined. Presented imitation digital model of the phase synchronization allows to perform the optimization of its parameters, defines its temporary characteristics and the accuracy estimation of the parameters of objects' movement for the system of autonomic navigation and ballistic preparation of the artillery system.

Key words: *digital system of the phase synchronization, analytical and imitation models.*